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## End Behavior

- A polynomial of odd degree with a positive leading coefficient has negative $y$-values for large negative $x$-values, and positive $y$ values for large positive $X$-values. $\qquad$
- A polynomial of even degree with a positive leading coefficient has positive $y$-values for $\qquad$ both large positive and large negative $x$ values. $\qquad$
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## Factor Theorem

Let $P(x)$ be a polynomial with real-number coefficients. Then $(x-a)$ is a factor of $P(x)$ if and only if $\mathrm{P}(\mathrm{a})=0$.

If a polynomial has a zero of odd multiplicity, the graph crosses the $x$-axis at that point. If a polynomial has a zero of even multiplicity, the graph "bounces off" the X -axis at that point.

## Steps to Graph a Polynomial

- Obtain the y-intercept.
- Factor the polynomial completely to locate the X -intercepts.
- Use the behavior of the ends and the multiplicity of the zeros to determine the shape.
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## Examples

- Graph $g(x)=(x+4)^{2}(x-2)$
- Graph $h(x)=(X+1)^{3}(x-2)^{2}$
- Graph $S(x)=x^{4}+3 x^{3}-x^{2}-3 x$
- Graph $m(x)=x^{4}-13 x^{2}+36$ $\qquad$
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