

## MAC 2233 Indefinite Integral Worksheet

1. (Armstrong & Davis, section 6.1 problem 61) The marginal revenue function for the FrontRide Bus Company is given by  $R'(x) = 0.000045x^2 - 0.03x + 3.75, 0 \leq x \leq 500$ .
  - a. Knowing that  $R(x) = 0$  when  $x = 0$ , recover the revenue function  $R$ .
  - b. Find the price-demand function  $p$  for the bus company.
  - c. What should the price be when the demand is 100 passengers?
2. (Armstrong & Davis, section 6.1 problem 63) The marginal average cost function for producing  $x$  promotional banners is given by  $\bar{C}'(x) = -\frac{100}{x^2}, x > 0$ .
  - a. Knowing that it costs \$2.50 per banner to produce 100 banners, recover the average cost function.
  - b. Knowing the average cost function from part (a), find the cost function  $C(x)$ .
  - c. Using the cost function from part (b), evaluate  $C(100)$  and interpret.
3. (Tan, section 6.1 problem 65) Lorimar Watch Company manufactures travel clocks. The daily marginal cost function associated with producing these clocks is
 
$$C'(x) = 0.000009x^2 - 0.009x + 8$$
 where  $C'(x)$  is measured in dollars/unit and  $x$  denotes the number of units produced. Management has determined that the daily fixed cost incurred in producing these clocks is \$120. Find the total cost incurred by Lorimar in producing the first 500 travel clocks per day.
4. (Tan, section 6.1 problem 75) In a study conducted in 2000, the share of online advertisement, worldwide, as a percentage of the total ad market is expected to grow at the rate of  $R(t) = -0.033t^2 + 0.3428t + 0.07$  ( $0 \leq t \leq 6$ ) percent/year at time  $t$  (in years), with  $t = 0$  corresponding to the beginning of 2000. The online ad market at the beginning of 2000 was 2.9% of the total ad market.
  - a. What is the projected online ad market share at any time  $t$ ?
  - b. What is the projected online ad market share at the beginning of 2005?
5. (Tan, section 6.2 problem 57) The rate of change of the unit price  $p$  (in dollars) of Apex women's boots is given by

$$p'(x) = -\frac{250x}{(16 + x^2)^{3/2}}$$

where  $x$  is the quantity demanded daily in units of a hundred. Find the demand function for these boots if the quantity demanded daily is 300 pairs ( $x = 300$ ) when the unit price is \$50/pair.