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## SAMPLING DISTRIBUTION

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* This is the distribution of probabilities we would obtain from every possible combination of samples

This distribution is theoretical whereas the distributions we looked at before were distributions of data


## PROPORTIONS

$\times$ The actual proportion for the population is $p$ $\qquad$

* Our observed proportion for our sample is $\hat{p}$
$\times$ We define $q=1-p$ and $\hat{q}=1-\hat{p}$
* The sampling distribution follows a normal $\sqrt{\underline{p q}}$ model with mean $p$ and standard deviation $\sqrt{\frac{p q}{n}}$
* That is, the model that describes the distribution of sample proportions is

$$
N\left(p, \sqrt{\frac{p q}{n}}\right)
$$


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## ASSUMPTIONS AND CONDITIONS

* There are two assumptions in the case of the $\qquad$ model for the distribution of sample proportions:
The sampled values must be independent of each other.
The sample size, $n$, must be large enough.
$\times \quad$ Conditions we can check (p. 449)
Randomization, 10\% condition, Success/Failure



## CENTRAL LIMIT THEOREM

* If $n$ is sufficiently large, the sample means of random samples from a population with mean $\mu$ and finite standard deviation $\sigma$ are approximately normally distributed and modeled by

$$
N\left(\mu, \frac{\sigma}{\sqrt{n}}\right)
$$

## ASSUMPTIONS AND CONDITIONS

x Independence of observations $\qquad$
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$\qquad$ -10\% condition
Large enough sample size
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* Sufficiently large sample size
* We can check:
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| CAUTION |
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| $\times$ Read "What can go wrong?" on p. 462 |
| + Don't confuse the sampling distribution with the |
| distribution of the sample |
| + Beware of observations that are not independent |
| + Watch out for small samples from skewed |
| populations |

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